

**PRACTICE SET**  
**End Semester Examination, Spring- 2026**

**Program: BCA**  
**Semester: VI**  
**Subject: Theory of Computation**  
**Subject Code: 3CCC304**

**Course Outcome:**

On the completion of the Course, the students will be able to:

<b>Course Outcomes</b>	<b>Description</b>
CO1	Design and analyze finite automata (DFA & N DFA), perform conversions, and apply them to solve real-time problems.
CO2	Apply regular expressions to define languages, use algebraic laws, and prove language regularity using pumping lemma.
CO3	Construct and convert grammars, distinguish between types in Chomsky hierarchy, and apply normal forms to CFGs
CO4	Explain the concept of Pushdown Automata, differentiate between DPDA and NPDA, and apply parsing techniques.
CO5	Understand Turing Machines, classify languages based on decidability, and identify complexity classes like P, NP, NP-Complete, and NP-Hard

**UNIT I**

**Section A (10 marks)**

1. Describe DFA and its components with suitable example. Explain the difference between DFA and N DFA. (CO1, Understand, LOT)
2. Explain N DFA. Convert a given N DFA  $M = (Q, \Sigma, \delta, q_0, F)$  to the equivalent DFA where  $q_0 = p$  and  $F = \{R\}$  to DFA. (CO1, Apply, LOT)

<b>State</b>	<b>a</b>	<b>b</b>
<b>p</b>	<b>{p}</b>	<b>{p,q}</b>

<b>q</b>	<b>{r}</b>	<b>{r}</b>
<b>r</b>	<b>{q}</b>	<b>{q}</b>

3. Give the transition diagram for the given NFA  $M = \{Q, \Sigma, \delta, q_0, F\}$  where  $Q = \{a, b, c, d\}$ ,  $q_0 = a$  and  $F = \{d\}$ . Find whether the string 100101 will be accepted by it or not. Also convert the given NFA to DFA. (CO1, Analyze, HOT)

State	Input-0	Input -1
a	{b,d}	{c,d}
b	{b}	{d}
c	{d}	{c}
d	-	-

4. Explain mealy machine with its components. Convert given Moore machine to Mealy machine. (CO1, Understand, LOT).

State	Input		output
	a	b	
A	A	B	0
B	B	B	1

5. Convert NFA  $\{P, Q, R, Q1, R1, R2, S\}$ ,  $\{a, \epsilon\}$ ,  $P$ ,  $\{Q, R\}$  with  $\epsilon$ -moves to DFA and explain steps. (CO1, Analyze, HOT)

	a	$\epsilon$
$\rightarrow P$	-	{Q, R}
Q	Q1	-
R	R1	S
Q1	Q	-
R1	R2	-
R2	R	-

6. Minimize the Apply, LOT)

given DFA (CO1,

S	-	-
<b>s</b>	<b>a</b>	<b>b</b>
A	B	A
B	A	C
C	D	B
D	D	A
E	D	F

**Section B (20 marks)**

7. Explain Mealy and Moore machine with its components. Convert the given Mealy machine to Moore machine. (CO1, Apply, LOT)

Present State	Input=0		Input=1	
	Next State	Output	Next State	Output
q0	q1	0	q2	0
q1	q1	0	q2	1
q2	q1	1	q2	0

8. Explain Finite Automata. Classify different types of FA. Convert the following N DFA to DFA. (CO1, Analyze, HOT)



**UNIT II**

**Section A (10 marks)**

9. Explain algebraic laws of regular expression, (CO2, Understand, LOT)

10. Construct the DFA for the regular expression  $(a + b)^* aa (b+a)^*$ . (CO2, Apply, LOT)
11. Explain Arden's theorem and prove it. (CO2, Understand, LOT)
12. Write a note on pumping lemma for Regular languages. (CO2, Understand, LOT)
13. Design a DFA for strings having a) even number of 0s and odd number of 1s. b) even number of 0s and even numbers of 1s (CO2, Apply, LOT)
14. Convert the following regular expression into a DFA:  $(0+1)^* 01$ . (CO2, Evaluate, HOT)
15. Design a FA from given regular expression  $10 + (0 + 11)0^* 1$ . (CO2, Evaluate, HOT)

### Section B (20 marks)

16. Design following DFA: [CO2] [Unit-II] [Evaluate, HOT]
  - (a) That will accept set of all string over  $\{0, 1\}$  of length 2.
  - (b) That will accept set of all string over  $\{0,1\}$  with three consecutive '0'.
  - (c) That will accept set of all string over  $\{0,1\}$  which ends with 1.
  - (d) That will accept set of all string over  $\{0,1\}$  which contains 0.
  - (e) That will accept set of all string over  $\{0,1\}$  which ends with 11.

### UNIT III

17. Explain Chomsky hierarchy of grammars with their recognizers as well as the form of production rules. (CO3, Understand, LOT)
18. Convert the CFG with the following productions into CNF. (CO3, Apply, LOT)
 
$$S \rightarrow AACD, A \rightarrow aAb \mid \Lambda, C \rightarrow aC \mid a, D \rightarrow aDa \mid bDb \mid \Lambda$$
19. Explain ambiguity in Context Free Grammar with proper example. (CO3, Understand, LOT)
20. Describe ambiguous grammar. Show that the following grammar is Ambiguous  $S \rightarrow aSbS \mid bSaS \mid \epsilon$  for the string abab. Draw the parse tree. (CO3, Analyze, HOT)
21. Convert the CFG with the following production into GNF. (CO3, Evaluate, HOT)
 
$$S \rightarrow AB, A \rightarrow BSB, A \rightarrow BB, B \rightarrow aAb, B \rightarrow a, A \rightarrow b$$
22. Convert the CFG with the following productions into CNF. CO3, Evaluate, HOT)

$S \rightarrow AACD, A \rightarrow aAb \mid \Lambda, C \rightarrow aC \mid a, D \rightarrow aDa \mid bDb \mid \Lambda$

23. Convert the given CFG into GNF  $S \rightarrow AB, A \rightarrow BS \mid 1, B \rightarrow SA \mid 0$ . (CO3, Apply, LOT)
24. Explain left recursion with an example. Eliminate left recursion from the given grammar (CO3, Apply, LOT)

$S \rightarrow Sa \mid Sb \mid c \mid d$

25. Write down the closure properties of Context Free Languages. [CO3] [Unit-III] [Understand, LOT]

### Section B (20 marks)

26. Classify Chomsky normal form and explain with suitable examples. (CO3, Analyze, HOT)
27. Explain a) Reduced grammar b) Epsilon production c) Unit productions.

Convert the following grammar into an equivalent grammar without  $\epsilon$ -productions and unit productions, (CO3, Apply, LOT)

$S \rightarrow A \mid \epsilon$

$A \rightarrow B \mid a$

$B \rightarrow b \mid \mid \epsilon$

### UNIT IV

28. Design a Pushdown Automaton for the language  $L = \{a^n b^n \mid n \geq 1\}$ . Draw the state transition diagram and explain the stack operations. (CO4, Evaluate, HOT)
29. Explain Pushdown automata with its components. Differentiate between DPDA and NPDA. (CO4, Understand, LOT)
30. Explain the block diagram of Pushdown Automata with its components, specification, language and transition table. (CO4, Understand, LOT)

### Section B (20 marks)

31. Construct a PDA equivalent to the following context free grammar  $S \rightarrow 0BB, B \rightarrow 0S \mid 1S \mid 0$ . Test whether 010000 is accepted by PDA. (CO4, Evaluate, HOT)

### UNIT V

32. Write short notes on a) NP completeness b) Cook's Theorem (CO5, Understand, LOT)
33. Explain the halting problem of Turing machine. (CO5, Understand, LOT)

34. Design a Turing Machine to check whether a given string is a palindrome over  $\{0,1\}$ . Draw the state transition diagram. (CO5, Evaluate, HOT)
35. Classify different types of Turing machine. (CO5, Analyze, HOT)
36. Explain briefly about P, NP, NP-Hard and NP-Complete problems with examples. (CO5, Understand, LOT)

**Section B (20 marks)**

37. Write short notes on (CO5, Understand, LOT)

- a) Rice Theorem
- b) Halting problem

38. Construct a Turing machine that recognize the language  $\{1^n 2^n 3^n \mid n \geq 1\}$ . Give a graphical representation for the obtained TM. (CO5, Evaluate, HOT)

**Summary Sheet**

**CO Wise**

<b>CO</b>	<b>Q. No</b>	<b>Marks</b>
CO1	Q1, Q2, Q3, Q4, Q5, Q6, Q7, Q8	100
CO2	Q9, Q10, Q11, Q12, Q13, Q14, Q15, Q16	90
CO3	Q17, Q18, Q19, Q20, Q21, Q22, Q23, Q24, Q25, Q26, Q27	130
CO4	Q28, Q29, Q30, Q31	50
CO5	Q32, Q33, Q34, Q35, Q36, Q37, Q38	90
<b>Total</b>		<b>460</b>

**Unit Wise**

<b>Unit</b>	<b>Q. No</b>	<b>Marks</b>
Unit 1	Q1, Q2, Q3, Q4, Q5, Q6, Q7, Q8	100
Unit 2	Q9, Q10, Q11, Q12, Q13, Q14, Q15, Q16	90
Unit 3	Q17, Q18, Q19, Q20, Q21, Q22, Q23, Q24, Q25, Q26, Q27	130

Unit 4	Q28, Q29, Q30, Q31	50
Unit 5	, Q32, Q33, Q34, Q35, Q36, Q37, Q38	90
<b>Total</b>		<b>460</b>

**Blooms Taxonomy Level (BTL) Wise**

<b>BTL</b>	<b>Q. No</b>	<b>Marks</b>
LOT	Q1, Q2, Q4, Q5, Q6, Q7, Q9, Q10, Q11, Q12, Q13, Q17, Q18, Q19, Q23, Q24, Q25, Q27, Q29, Q30, Q32, Q33, Q36, Q37	270
HOT	Q3, Q5, Q8, Q14, Q15, Q16, Q20, Q21, Q22, Q26, Q28, Q31, Q34, Q35, Q38	190
<b>Total</b>		<b>460</b>

**Prepared By: Anuradha Sharma**

**Disclaimer:** -This is a Practice set. The Question in End term examination will differ from the Practice set. This Practice set is meant for practice only.